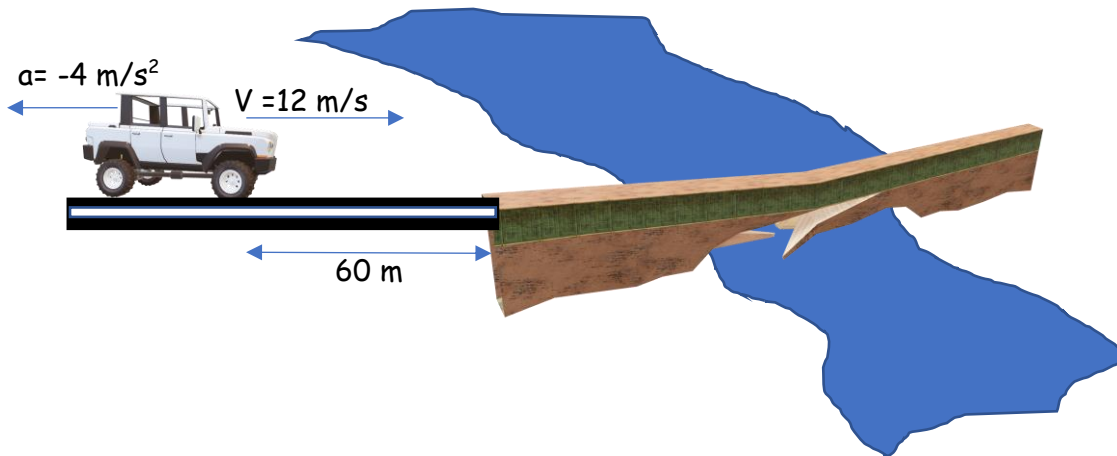


## Stopping Distance

1. A car drives along a road at 12 m/s toward a bridge. Suddenly, in 60 metres away from the bridge the driver saw the warning sign that the bridge is unfunctional. The car can decelerate at maximum 4 m/s<sup>2</sup>. What is the maximum reaction time that the driver can have to make sure he will stop the car before the bridge?



$$\text{Stopping Distance} = \text{Thinking Distance} + \text{Braking Distance}$$

**Thinking Distance** - the distance before the driver reacts and press the brake.

The car's velocity  $v = 12 \text{ m/s}$

$$\text{Thinking Distance} = \text{Velocity} \times \text{Time} = 12 \times t_{\text{reaction}}$$

**Braking Distance** - the distance covered after the driver pressed the brake and before the car stops.

$$\text{Braking Distance: } v^2 = u^2 + 2as$$

v-final velocity = 0 m/s, as the car stopped at the end.

$$0 = 12^2 + 2 \times (-4) \times s$$

$$0 = 144 - 8s$$

$$s = \frac{-144}{-8} = 18 \text{ m} - \text{Braking Distance}$$

$$\text{Stopping Distance} = 60 \text{ m}$$

$$\text{Stopping Distance} = \text{Thinking Distance} + \text{Braking Distance}$$

$$\text{Thinking Distance} = \text{Stopping Distance} - \text{Braking Distance}$$

$$\text{Thinking Distance} = 60 \text{ m} - 18 \text{ m} = 42 \text{ m}$$

$$t_{\text{reaction}} = \frac{\text{Thinking Distance}}{\text{Speed}} = \frac{42}{12} = 3.5 \text{ s}$$